## ANALYZING FUNCTIONAL RELATIONSHIPS - Day 1

1. Solve $8 y-2(y-3)=18$
2. Solve $2(t+2)-3 t=-1$

The domain and range of a function can be discrete or continuous. Consider the domain of two different functions:


EXAMPLE 1: On average, Jay can ride his bike 12 miles in one hour. The function $m=12 h$ represents the number of miles, $m$, he can ride in $h$ hours.

1. Input variable: $\qquad$ Output variable: $\qquad$
2. How many miles can Jay ride in 3 hours? $\qquad$
3. How long does it take Jay to ride 18 miles? $\qquad$
4. After work, Jay only has 4 hours to ride his bike before it gets dark. What domain and range are reasonable for this situation?

D: $\qquad$ R: $\qquad$
5. Circle one: The domain is discrete / continuous.

EXAMPLE 2: The total cost in dollars to buy uniforms for the players on a volleyball team can be found using the function $c=34.95 u+6.25$, where $u$ is the number of uniforms bought.

1. What is the total cost of buying 10 uniforms? $\qquad$
2. How many uniforms can be purchased with $\$ 400$ ? $\qquad$
3. Circle one: The domain is discrete / continuous.
4. $\qquad$ If there are at least 8 players but not more than 12 players on the volleyball team, what is the domain of the function for this situation?
A. $0<u \leq 12$
B. $0<c \leq 425.65$
C. $\{8,9,10,11,12\}$
D. $\{285.85,320.80,355.75,390.70,425.65\}$

EXAMPLE 3: Katie goes to a flower shop to order flowers for her friend's birthday. The total cost of the flowers, $T$, can be found using the equation $T=0.60 \mathrm{~L}+7.50$, where $L$ represents the number of lilies used in the arrangement.

1. What is the total cost for 10 lilies? $\qquad$
2. Katie wants to include at least 10 lilies in the arrangement, but only has $\$ 15$ to spend. What is the range for this situation?

Range: $\qquad$
What is the maximum value of the domain for this situation? $\qquad$
3. Circle one: The domain is discrete / continuous.

